

EASTERN UNIVERSITY, SRI LANKA

SECOND EXAMINATION IN SCIENCE 2003/2004 (OCTOBER 2007)

SECOND SEMESTER

EXTERNAL DEGREE

EXTPH 205 – RELATIVITY

Time: 01 hour.

Answer ALL Questions.

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1. Use the Lorentz transformations to obtain the velocity transformation laws

$$U'_x = \frac{U_x - V}{1 - \frac{U_x V}{c^2}}, \quad U'_y = \frac{U_y}{\gamma \left[ 1 - \frac{U_x V}{c^2} \right]} \quad \text{and} \quad U'_z = \frac{U_z}{\gamma \left[ 1 - \frac{U_x V}{c^2} \right]}$$

Where the symbols have their usual meaning

Spaceship A passes earth at time  $t=0$  at speed  $0.8c$  in the direction of the star Xerxes. At the same time (according to earth frame clocks) spaceship B passes Xerxes at speed  $0.625c$  in the direction of earth. Assume earth and Xerxes are at rest relative to one another and the distance between them is 10 light years (earth frame measurements).

- At what rate are the spaceships approaching each other according to earth frame observers? Does this result violate the principles of relativity? Explain.
- Find the time when the spaceships meet according to earth frame measurements. How far is the meeting place from earth?
- Use the Lorentz transformation to find the time of meeting according to clocks on ship A. (Assume that spaceship clock read zero when it passed earth)
- What is the speed of the ship B according to observers on A?
- What is the distance between earth and Xerxes in A's frame?

2. Define an inertial frame. State the principle of relativity and explain its significance.

- a) Derive the equations

$$(i) \quad dT = m(\bar{u} \cdot d\bar{u}) + (\bar{u} \cdot \bar{u}) \cdot dm$$

$$(ii) \quad E = m_0 c^2 + T$$

$$(iii) \quad \bar{a} = \frac{\bar{F}}{m} - \frac{\bar{u}}{mc^2} (\bar{F} \cdot \bar{u})$$

- b) A particle is given a kinetic energy equals to  $n$  times its rest mass energy. What are

- its speed and
- its momentum

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